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MR1191997 (94b:53100)[Amores, A. M.](#) [Amores Lázaro, Ángel Miguel] ([E-MADCM-GT](#));[Gutierrez, M.](#) [Gutiérrez, Manuel] ([E-UPMTC-AM](#))**Singularities of invariant connections. (English summary)***Gen. Relativity Gravitation* **24** (1992), *no. 12*, 1235–1253.[53C50](#) ([53C05](#) [53C80](#) [83C75](#))

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The Schmidt b -boundary is one way to study the singularities associated with linear connections or more specifically with spacetimes using the usual Levi-Civita connection. A key difficulty with the b -boundary is the difficulty of concretely constructing it for a given example. In the present paper the authors consider the special cases corresponding to reductive homogeneous spaces. Let $M = P/G$, where G is a closed Lie subgroup of P and let \mathfrak{g} admit an Ad_G -invariant supplementary \mathfrak{m} in \mathfrak{p} . The connection on M should be invariant under the translations $uG \rightarrow vuG$. The authors find that such connections are in one-to-one correspondence with certain linear maps from \mathfrak{m} to $\mathfrak{gl}(\mathfrak{m})$ and, if the connection comes from one on P in a certain natural way, then there are no singularities. The authors fully investigate the important special case of $P = \mathbf{R}^n$ and obtain extensive results.

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